## Student Guide

The Coat of Many Bits (SG pp. 129-132) Question 1-17

I-I2.* Answers will depend on student data. See the lesson for further discussion.


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7. Look at the two tables your class made. How are the two class tables different? How are they alike? Discuss this with a partner and with the class.
8. List the areas each group found from smallest to largest.
9. Compare the coat areas using the list from Question 8.
A. About how much larger is the area of the largest coat than the smallest coat?
B. Is it more or less than 500 square centimeters larger?
C. Is it more or less than 1000 square centimeters larger?
10. If the material costs $10 ¢$ for every 100 square centimeters, about how much will it cost to cover your group's coat? Show how you found your answer.
11. Your group has a 6000 square centimeter piece of material. About how much will be left over after you cut out enough material to cover your group's coat?
12. Use base-ten shorthand and the Fewest Pieces Rule to show your number from Question 5. Then write the number. How are these two ways of showing the number different? How are they the same?

## Place Value

Our number system is a place value system based on tens. It has a code built into it. When we write numbers in standard form in our base-ten system, the place that each digit sits in the number tells us its value. Here is a four-digit number in standard form:


The 5 is in the thousands place. It means 5 thousands: $5 \times 1000=5000$.
The 3 is in the hundreds place. It means 3 hundreds: $3 \times 100=300$
The 2 is in the tens place. It means 2 tens: $2 \times 10=20$
The 4 is in the ones place It means 4 ones. $4 \times 1=4$.
Adding the value of each place gives the number:

```
5000+300+20+4=5324
```

Writing a number as a number sentence in this way is called expanded form.
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*Answers and/or discussion are included in the lesson.

Zero
Julia wrote a number with base－ten shorthand．
$\square \square \square \cdots \cdot$
She started to write it in standard form．＂Now what do I do？＂she thought． ＂This number does not have any tens．What do I write in the tens place？＂

The number zero was invented for just this purpose－to be a placeholder
Julia＇s number is 304 ．We show that it has no tens by writing 0 in the tens place．If we wrote only the 3 and the 4 without showing there are no tens，we would be confused．We would not know that the 3 refers to hundreds and the 4 refers to ones．

13．Write the numbers below in standard form．Use zero to hold the place when necessary．
A．$\square \square \square\|\|\|$
B．$\square \square \square \square \square{ }^{\text {‥ }}$
c．$\square \square \square \square I I I I$


ғ．$\square^{\square} \square \square \square \square{ }^{*}$ ．．．．．

н．ヨコココ・…
14．Write the numbers in Questions 13A－13D in expanded form．

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## Discuss 5

15．In the base－ten number system，you can fit only one of the digits $0,1,2,3,4,5,6,7,8,9$ in each place．Do you think you might ever need to write more than one digit in a place？Explain．
16．Johnny had a number with 4 hundreds， 12 tens，and 5 ones．He wrote it like this： 4125 ．Is he correct？What would you tell him？

Comparing Number Systems
Not all number systems use place value．The Roman Numeral System uses a different way to represent numbers．Ones，tens，hundreds，and so on are shown by special symbols instead of special locations．Here are a few Roman Numerals：

$$
\begin{aligned}
& I=I \\
& X=10 \\
& C=100
\end{aligned}
$$

To show 3 hundreds in the Roman Numeral System，write the symbol C for one hundred 3 times：CCC．To show 2 tens，write the symbol X for ten 2 times： XX ．

Here is the number 321 written in Roman Numerals： cccexi

17．Write each number in the table below using base－ten shorthand and Roman Numerals．Compare the representations．How are they alike？ How are they different？

| Standard Form in the <br> Base－Ten System | Base－Ten <br> Shorthand | Roman <br> Numerals |
| :---: | :---: | :---: |
| 123 |  |  |
| 321 |  |  |
| 301 |  |  |
| 120 |  |  |

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I3．A． 362
B． 503
C． 450
D． 1641
E． 2065
F． 2507
G． 3084
H． 4005
I4．A． $300+60+2$
B． $500+3$
C． $400+50$
D． $1000+600+40+1$
15．No．Think of base－ten pieces．If you have more than 9 pieces of one value，you can trade 10 pieces for a piece of the next larger place value．Do this until all places are less than 10 ． For example，you can trade 12 tens for 1 hundred and 2 tens．
16．Johnny is not correct．When he wrote 12 tens， he took up two places．He put the 1 in the hundreds place and bumped the other 4 hundreds out．He should trade his 12 tens for 1 hundred and 2 tens and then combine the hundreds．Combining the 1 hundred with his other 4 hundreds，he has 5 hundreds．The number is 525 ．
17．＊Answers will vary．Some are discussed in the lesson．

| Standard Form <br> in the Base－Ten <br> System | Base－Ten <br> Shorthand | Roman <br> Numerals |
| :---: | :--- | :---: |
| 123 | ${\\|I I I\\| I\left\\|\left\\|\\|^{\cdots}\right.\right.}^{\text {Cl }}$ | CXXIII |
| 321 | $\square \square \square \\|^{\cdot}$ | CCCXXI |
| 301 | $\square \square \square \cdot$ | CCCI |
| 120 | $\square \\|$ | CII |

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＊Answers and／or discussion are included in the lesson．
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## Student Activity Book

## Standard and Expanded Form

(SAB pp. 175-176)
Questions 1-8
I. A. 505
B. 237
C. 1059
2. $237,505,1059$
3. A. 682
B. 5204
C. 3906
4. $682,3906,5204$
5. B. $2000+90+2$
C. $8000+50+6$
D. $900+50$
6. $950,2092,4361,8056$
7. A. 304
B. 296
C. 340
D. 140
8. $140,296,304,340$


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