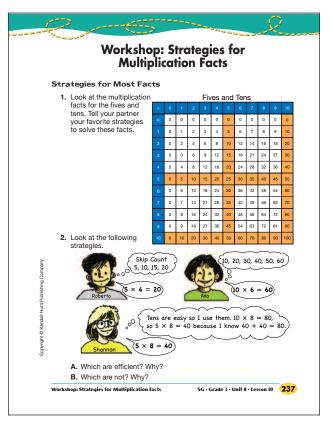
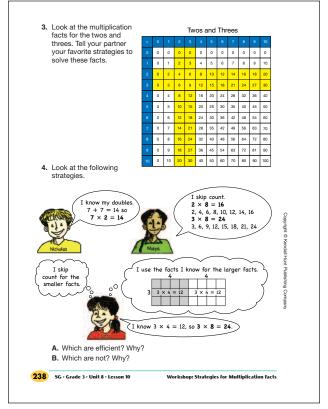
#### Student Guide

Workshop: Strategies for Multiplication Facts (SG pp. 237–242) Questions 1–10

- 1. Answers will vary. Possible response: My favorite strategy is skip counting for the 5s and 10s.
- **2. A.\*** Possible response: Skip counting with 5s and 10s is efficient when the numbers are small. Using 10s is also efficient because they are easy facts to remember.
  - **B.\*** Possible response: Skip counting is not efficient if you are using big numbers because it would take too long and you could lose track of what you are trying to answer.
- **3.** Answers will vary. Possible response: I can easily use skip counting for my 2s. For my 3s it is easy to use my 2s and then one more group, for example for 3 X 4, I can solve 2 X 4 = 8 and then add 4 more, 8 + 4 = 12.
- **4. A.** Possible response: Using doubles is an efficient strategy for the 2s. It is also efficient to use facts you know to figure out the answers.
  - **B.** Possible response: Skip counting is good for smaller numbers but takes too long with larger facts. Skip counting by 3s is not as easy as skip counting by 2s.

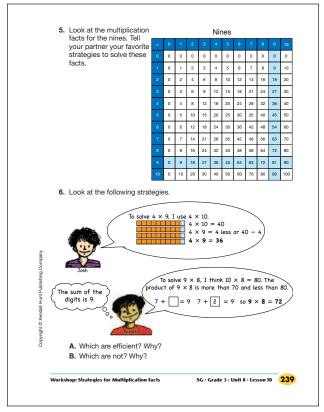




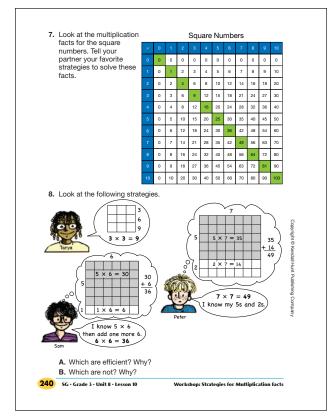


Student Guide - Page 238

\*Answers and/or discussion are included in the lesson.



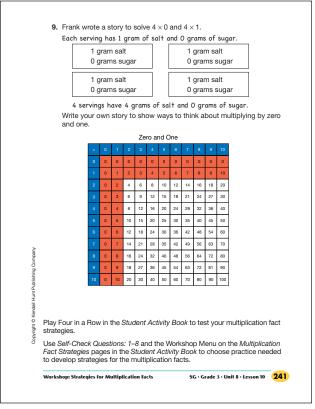
Student Guide - Page 239



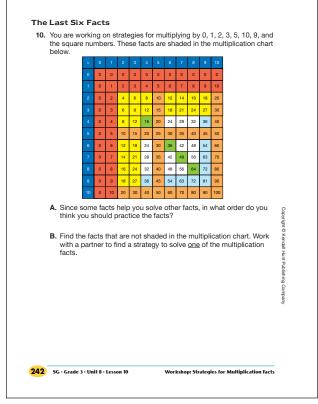
Student Guide - Page 240

- **5.** Answers will vary. Possible response: I like to use facts I know to help me. Since I know my 10s I multiply a number by 10 and then subtract one group since I only want 9 groups not 10.
- 6. A. Possible response: I think it is more efficient to use the 10 facts to solve multiplication problems with 9 because I can quickly answer the 10s and can use mental math strategies to subtract. Or, I like to think about the pattern for 9s. I know the sum of the digits in the product will add up to 9 so I can use that to check my work.
  - **B.** Using the patterns for the 9s is great for smaller numbers, but when you get to larger numbers it would be more difficult.
- **7.** Answers will vary. Possible response: I use facts I already know to help me with the squares. I can use the 5 facts to help me with the bigger numbers and I can use the 2s to help me with smaller numbers.
- **8. A.** Tanya's strategy works with smaller facts. Sam and Peter use facts they know which is better than skip counting for larger facts.
  - **B.** Possible responses: Tanya's strategy of thinking about an array does not work well for larger numbers.

- **9.** Stories will vary. Possible response: I have three friends. I gave each friend 1 piece of candy but 0 pieces of gum. How many pieces of candy did I share?  $3 \times 1 = 3$ . How many pieces of gum did I share?  $3 \times 0 = 0$ .
- 10. A. Possible response: I would start with the 5s and 10s because they are the easiest. I know the 2s already because I know my doubles (e.g., 7 + 7). Then I would practice the 3s because I can use the 2s. After the 3s I would practice the 9s since I can use the 10s to help me. There are only a few square numbers to learn, and those I can figure out with the facts that I know. Finally I would practice the last six facts.
  - **B.** Answers will vary. Possible response for a strategy for the product 42;  $6 \times 6 = 36$ , 36 + 6 = 42.



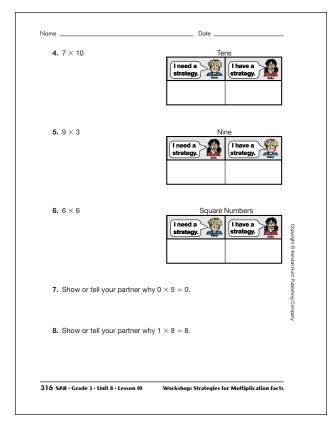
Student Guide - Page 241



Student Guide - Page 242

✓ Self-Check: Questi	ons 1-8
Show at least one way to s number lines, and rectangle	solve each multiplication fact. Use drawing les to show your strategy. Decide if you ha gy and put an "X" in the appropriate box ir
<b>1.</b> 2 × 8	Twos
	I need a strategy.
<b>2.</b> 3 × 4	Threes
	I need a strategy.
<b>3.</b> 5 × 4	Fives
<b>3.</b> 5 × 4	I need a strategy.
<b>3.</b> 5 × 4	

Student Activity Book - Page 315



Student Activity Book - Page 316

### Student Activity Book

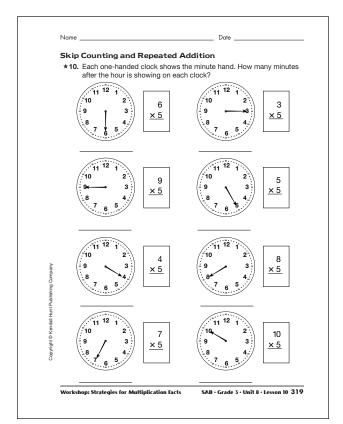
Multiplication Facts Strategies (SAB pp. 315–328) Questions 1–22

- 1. 16; use doubles:  $2 \times 4 = 8$  and 8 + 8 = 16.
- **2.** 12; skip count by three: 3, 6, 9 12.
- **3.** 20; skip count by 5s: 5, 10, 15, 20.
- **4.** 70; think  $7 \times 1 = 7$ , but it is 7 tens or 70.
- 5. 27; think  $10 \times 3 = 30$  but that is one extra 3, so subtract 30 3 = 27.
- **6.** 36; I know  $5 \times 6 = 30$  then add one more 6.
- **7.** If something comes in a group of 5 things but I have 0 groups, I have zero in all.
- **8.** If I have one pack of gum with eight pieces in the pack, I have 8 pieces of gum; 1 × 8 means 1 group with 8 things in it.

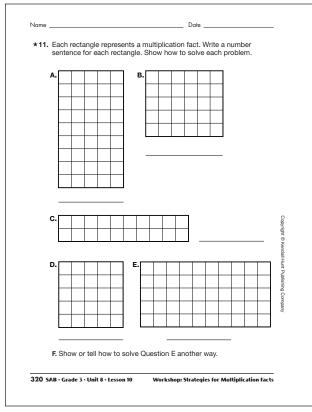
- **9. A.** Agree.  $4 \times 1 = 4$ ; 4 hops of 1 stops on 4.
  - **B.** Agree;  $4 \times 0 = 0$ ; 4 hops of 0 stops on 0.
  - **C.** Disagree;  $0 \times 5 = 5$ ; no groups of 5 is 0.
  - **D.** Agree.  $1 \times 9 = 9$ ; 1 group of 9 is 9.
  - **E.** Agree.  $9 \times 1 = 9$ ; 9 groups with one cube in each is 9 cubes.
  - **F.** Agree. 3 groups  $\times$  1 dime = 3 dimes 3 groups  $\times$  0 nickel = 0 nickels 6 groups  $\times$  1 penny = 6 pennies
  - **G.** Answers will vary. There are 0 black jelly beans in each of the jars.  $0 \times 4 = 0$ . There are 0 black jelly beans.
- **10.** 30 minutes. 15 minutes.
  - 45 minutes. 25 minutes.
  - 20 minutes. 40 minutes.
  - 35 minutes. 50 minutes.

-	ly By O and I
ar	tudents wrote the following stories to explain how to multiply by 0 nd 1. Decide if you agree or disagree with each explanation.
	If you agree, tell your partner a similar story for a different multiplication fact. If you disagree, correct the story.
A.	B. $0x4 \text{ or } 4x0$ $\downarrow^{11+1+1+1}_{0 \ 1 \ 2 \ 3 \ 4}$ 4 hops of 1 stop on 4 $0 \ 1 \ 2 \ 3 \ 4$
C.	0x5=5 D. 1x9=9 E. 9x1=9   Image: no group of 5 is 5. 1 row of 9 cubes is 9. 9 groups of 1 is 9
F.	How many dimes? 3 groups × 1 dime = 3 dimes How many nickles? 3 groups × 0 nickles = 0 nickles How many nickles? 6 groups × 1 penny = 6 pennies Write a story similar to one of the stories in Questions A–F.
G	. Write a story similar to one of the stories in Questions A–F.
219 655	• Grade 3 • Unit 8 • Lesson 10 Workshop: Strategies for Multiplication Facts

Student Activity Book - Page 318



Student Activity Book - Page 319



Date \_

■12. Irma used the double and then added one more to solve 6 × 3. Use her strategy to solve 5 × 3 and 8 × 3.

6 + 6 = 12 and one 6 is 18

 $6 \times 3$ 

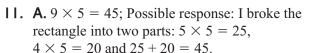
 $5 \times 3$ 

 $8 \times 3$ 

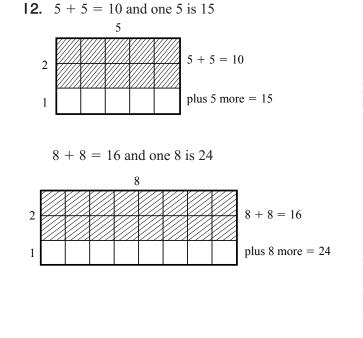
2



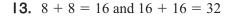
Name

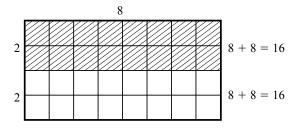


- **B.**  $5 \times 6 = 30$ ; Possible response: I used doubles. I broke 6 into 3 + 3,  $5 \times 3 = 15$ , so 15 + 15 = 30.
- **C.**  $2 \times 10 = 20$ ; I used doubles 10 + 10 = 20.
- **D.**  $5 \times 5 = 25$ ; I know the square facts.
- **E.**  $5 \times 10 = 50$ ; ten is twice five,  $5 \times 5 = 25$  so 5 tens is 50.
- **F.** Break 5 into 3 + 2;  $3 \times 10 = 30$ ,  $2 \times 10 = 20$  and 30 + 20 = 50.

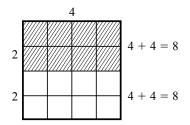


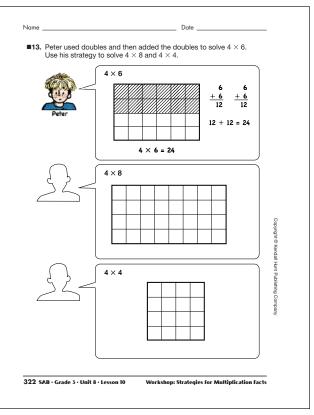






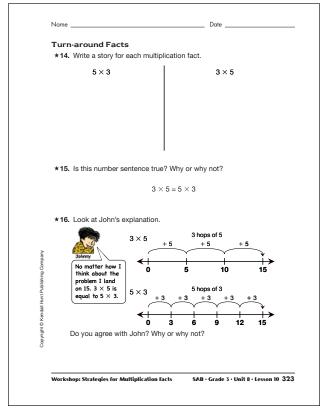
$$4 + 4 = 8$$
 and  $8 + 8 = 16$ 



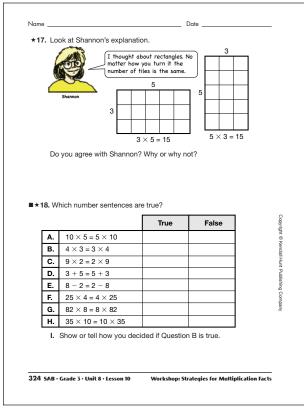


Student Activity Book - Page 322

- 14. Possible response:  $5 \times 3 = 15$ ; Five friends in my class each had three pencils. There were fifteen pencils in all.  $3 \times 5 = 15$ ; Three hens each laid five eggs. The farmer collected fifteen eggs.
- **15.** Yes because each side of the equal sign equals fifteen; they are turn-around facts.
- **16.** Possible response: I agree because each number sentence equals fifteen; they are turn-around facts.



Student Activity Book - Page 323



Student Activity Book - Page 324

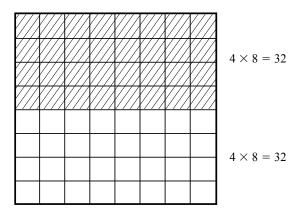
	Name Date	
	Reasoning Strategies	
	<b>★19.</b> Michael used the multiplication facts for the tens to solve 9 $\times$ 6.	
	$ \begin{array}{c} \left( \begin{array}{c} x \times x \\ x \times x $	
	<b>A.</b> Show how to use Michael's strategy to solve $9 \times 7$ .	
	<b>B.</b> Show how to use $9 \times 5$ to solve $9 \times 7$ .	
any	<b>B.</b> Show how to use $9 \times 5$ to solve $9 \times 7$ .	
Com		
lishing		
tt Pub		
all Hur		
Copyright © Kendall Hunt Publishing Company		
right @		
Copyr		
	Workshop: Strategies for Multiplication Facts SAB · Grade 3 · Unit 8 · Lesson 10 32	

Student Activity Book - Page 325

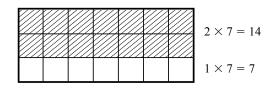
- **17.** Possible response: I agree with Shannon because both rectangles have 15 squares in them. If you cut out one of them it would fit exactly on top of the other one.
- **18. A–H.** All are true except **E**; E is false.
  - **I.** They are turn-around facts so they both have the same product and are equal.

- **19. A.**  $10 \times 7 = 70, 70 7 = 63$ 
  - **B.** Seven is two more than five,  $9 \times 5$  is 45 and two more nines is 18, 45 + 18 = 63.

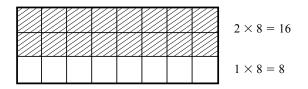
**20.** A.  $8 \times 8 = 64$ ; Break 8 into 4 + 4, 4 × 8 = 32, 32 + 32 = 64.



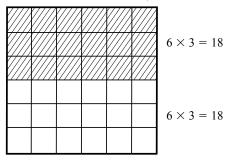
**B.**  $3 \times 7 = 21$ ; break 3 into 2 + 1,  $2 \times 7 = 14$ ,  $1 \times 7 = 7$  and 7 + 14 = 21.



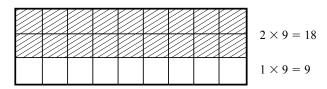
- **21.** Possible responses:
  - **A.**  $3 \times 8 = 24$ ;  $2 \times 8 = 16$  and one more 8 is 24.

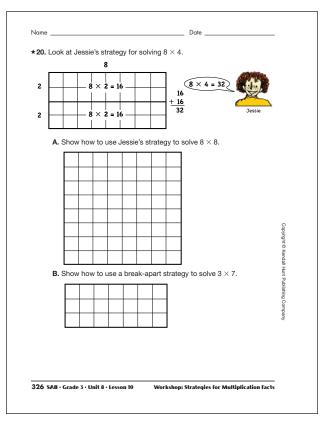


**B.**  $6 \times 6 = 36$ ; six is three plus three, use doubles  $6 \times 3 = 18$ , 18 + 18 = 36.

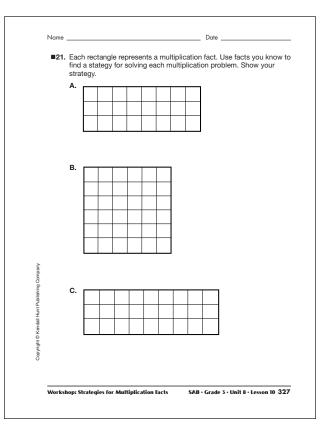


**C.**  $3 \times 9 = 27$ ; break 3 into 2 + 1,  $2 \times 9 = 18$  and one more 9 equals 27.

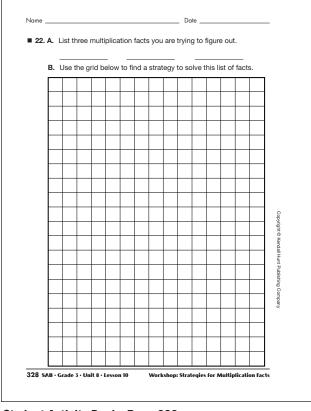




Student Activity Book - Page 326

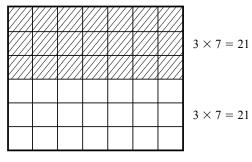


Student Activity Book - Page 327



Student Activity Book - Page 328

**22.** Answers will vary. Possible response for  $6 \times 7$ : I broke 6 into 3 + 3. I know  $3 \times 7 = 21$  and 21 + 21 = 42, so  $6 \times 7 = 42$ .



21 + 21 = 42