

### Patterns and Problems

1. Jacob's function table is missing its rule. Help Jacob find the rule for his function table. Which of Jacob's rules do you agree with? Show or tell how you know your rule works.

Input	Output
0	5
1	7
2	9
3	11
4	13
5	15
N	

Thought bubbles:

- $N \times N + 5$
- $N + N + 5$
- $5 + N \times 2$
- $N + 5$

2. Linda's function table is also missing its rule. Help Linda find the rule for her function table. Which of Linda's rules do you agree with? Show or tell how you know your rule works.

Input	Output
0	10
1	12
2	14
3	16
4	18
5	20
N	

Thought bubbles:

- $N + 10$
- $N + N + 10$
- $N \times 2 + 10$

3. Look at Linda's and Jacob's rules in Questions 2 and 3.

- How are they alike?
- How are they different?

Use the *Rules, Tables, and Graphs* pages in your *Student Activity Book* to review patterns and functions.

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**Student Guide**

**Questions 1–3 (SG pp. 577)**

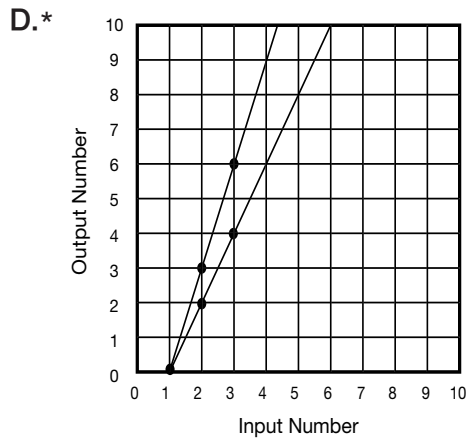
- \*  $N + N + 5$  and  $5 + N \times 2$ . Possible response: both  $N + N + 5$  and  $5 + N \times 2$  work. I tried each for all the inputs and they work. I know  $N + 5$  does not work because  $1 + 5$  does not equal 7.  $N \times N + 5$  did not work either.  
 $3 \times 3 + 5 = 14$ , not 11.
- \*  $N + N + 10$  and  $N \times 2 + 10$ . Possible response: I tried them both and they worked for every input in the table. I know  $N + 10$  does not work because  $2 + 10$  does not equal 14.
- \* Linda and Jacob both double N.
  - \* Linda adds 10. Jacob adds 5.

**Student Activity Book**

**Rules, Tables, and Graphs**

**Questions 1–10 (SAB pp. 565–570)**

- Table A is Ming's.
  - Table B is Jackie's.
- \* Ming. Possible responses: I matched up the data in the table with the data points on the graph; or I noticed the "step" in the graph was 3 and Ming's table also has a "step" of three between points.



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### Rules, Tables, and Graphs

1. Ming's function machine triples a number, then subtracts three. Jackie's function machine doubles a number, then subtracts two.

Input	Output	Ordered Pairs (Input, Output)
1	0	(1, 0)
2	3	(2, 3)
3	6	(3, 6)

Input	Output	Ordered Pairs (Input, Output)
1	0	(1, 0)
2	2	(2, 2)
3	4	(3, 4)

- Which function table is Ming's? \_\_\_\_\_
- Which function table is Jackie's? \_\_\_\_\_

C. Ming and Jackie graphed the data in their function tables. Is this Ming's graph or Jackie's graph? How do you know?

D. Graph the points in the other table. Draw a line.

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\*Answers and/or discussion are included in the lesson.

2. A.\* Rule: Double Plus Two

Input	Output	Ordered Pairs (Input, Output)
0	2	(0, 2)
1	4	(1, 4)
2	6	(2, 6)
3	8	(3, 8)
4	10	(4, 10)
5	12	(5, 12)

Rule: Add 1, Then Double

Input	Output	Ordered Pairs (Input, Output)
0	2	(0, 2)
1	4	(1, 4)
2	6	(2, 6)
3	8	(3, 8)
4	10	(4, 10)
5	12	(5, 12)

- B.\* The inputs and outputs are the same in each table. Doubling and adding two is the same as adding one then doubling.
3. Yes, I agree with Linda. The data in the table matches the data in the graph. The points are the same as the ordered pairs.

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2. Maya's and Roberto's function tables have different rules.

A. Complete their function tables for the numbers 0–5.

Rule: Double Plus Two      Rule: Add 1, Then Double

Input	Output	Ordered Pairs (Input, Output)
0		
1		
2		
3	8	(3, 8)
4		
5		

Input	Output	Ordered Pairs (Input, Output)
0		
1		
2	6	(2, 6)
3		
4		
5		

B. What do you notice about the patterns in Maya's and Roberto's function tables?

3. Linda made a graph from her function table and decided her rule matched Maya's and Roberto's in Question 2. Do you agree? Why or why not?

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4. Nila's sandwich had a mass of 153 grams. She took one bite and then the mass of her sandwich was 128 grams.

A. If each of Nila's bites has the same mass, what is the mass of two bites? Show or tell how you know.

B. What is the mass of three bites?

C. Nila made a table to predict the mass of the sandwich after each bite. Complete the table.

<i>N</i> Number of Bites	<i>M</i> Mass of Sandwich (grams)
0	153
1	128
2	
3	
4	
5	

D. Assuming still that each of her bites has the same mass, predict the Number of Bites (*N*) it will take Nila to eat her whole sandwich. Show or tell how you made your prediction.

E. Which is a rule to find the mass of Nila's sandwich (*M*) if you know the number of bites (*N*) taken? Circle the rule.

$M = 128 - 25 \times N$      
  $M = 153 - 25 \times N$      
  $M = 153 - N$

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5. John's sandwich had a mass of 189 grams. After he took one bite, the mass was 159 grams.

A. John made a table to predict the mass of the sandwich after each bite. He used the same mass for each bite. Complete the table.

<i>N</i> Number of Bites	<i>M</i> Mass of Sandwich (grams)
0	189
1	159
2	
3	
4	
5	



B. Assuming still that each of his bites has the same mass, predict the Number of Bites (*N*) it will take John to eat his whole sandwich. Show or tell how you made your prediction.

C. Write a rule to find the mass of John's sandwich (*M*) if you know the number of bites (*N*).

6. Use your answers to Questions 4 and 5 to answer these questions:

A. Who has a bigger bite size, Nila or John?

B. How are Nila and John's rules alike?

C. How are they different?

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\*Answers and/or discussion are included in the lesson.

**3 TG • Grade 4 • Unit 13 • Lesson 7 • Answer Key**

4. A. 50 grams;  
153 grams – 128 grams = 25 grams in one bite. So two bites is 50 grams.

B. 75 grams

C.

Nila's Sandwich

<i>N</i> Number of Bites	<i>M</i> Mass of Sandwich (grams)
0	153
1	128
2	103
3	78
4	53
5	28

D. 7 bites, though the seventh bite will be small at about 3 grams. Possible strategy: I added two more rows to the table. At 6 bites there were 3 grams left, so there was one more small bite after that.

E.  $M = 153 - 25 \times N$

5. A.

John's Sandwich

<i>N</i> Number of Bites	<i>M</i> Mass of Sandwich (grams)
0	189
1	159
2	129
3	99
4	69
5	39

B. 7 bites. Possible strategy: I subtracted 30 grams from 39 and that was for 6 bites. There were only 9 grams left, so there will be one more small bite for bite number 7.

C.\*  $M = 189 - 30 \times N$

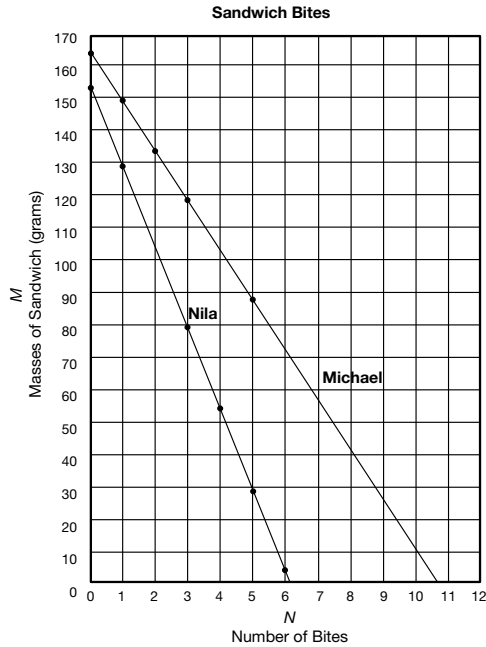
6. A. John

B. For both, the mass of the sandwich is equal to the starting mass minus the mass of a bite times the number of bites.

C.\* The starting masses are different and the size of the bites is different. Nila's sandwich was smaller than John's. John's bites are bigger than Nila's.

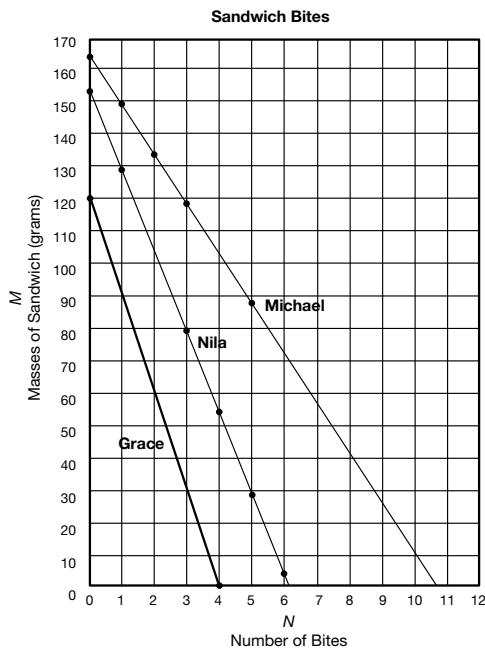
7. A. 15 grams  
 B. 11 bites  
 C. Michael has the smallest bite size at 15 grams; Nila's bite size is 25 grams; John's bite size is 30 grams.

8. A.



- B. Possible response: Michael's line is longer. Nila's line starts at (0, 153) and Michael's starts at (0, 163). Michael's line shows that it takes 11 bites to eat the whole sandwich, because when mass ( $M$ ) equals 0, the Number of Bites ( $N$ ) is close to 11.

C.\*



\*Answers and/or discussion are included in the lesson.

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7. Michael made a table to predict the mass of his sandwich after each bite. He used the same mass for each bite.

N	M	Ordered Pairs (N, M)
0	163	(0, 163)
1	148	(1, 148)
2	133	(2, 133)
3	118	(3, 118)
4	103	(4, 103)
5	88	(5, 88)

A. What is the mass of one bite?  
 B. Predict how many bites Michael can take altogether until his sandwich is gone.  
 C. Who has the smallest bite size: Nila, John, or Michael?

8. A. Nila and Michael graphed the changes in the mass of their sandwich. Compare the line graphs to the function tables in Questions 4 and 7. Write "Nila" on Nila's line and "Michael" on Michael's line.  
 B. Compare Nila's and Michael's lines on the graph. What is different about them?  
 C. Grace has a 120-gram sandwich and takes bigger bites than Nila. What might a graph look like for her sandwich? Sketch a line on the graph at the right. Write "Grace" on her line.

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✓ **Check-In: Questions 9-10**

9. Professor Peabody is planning a 7-day trip. He decides to leave 40 grams of food for his hamster, named Ham. He started this data table.

A. Complete the table.

B. Complete Ham's food graph below using Professor Peabody's data. If the points form a line, draw a best-fit line.

Ham's Food		
N Number of Days	M Mass (Grams)	Ordered Pairs (N, M)
0	40	(0, 40)
1	35	(1, 35)
2	30	(2, 30)
3	25	(3, 25)
4		
5		
6		
7		

10. Use the table or graph to answer these questions.

A. How many grams of food does the hamster eat each day?

B. Write a rule that will tell Professor Peabody the Mass in Grams (*M*) of the food if he knows the Number of Days (*N*). You may use words or number sentences.

C. Is 40 grams enough food for 7 days? Show or tell how you know.

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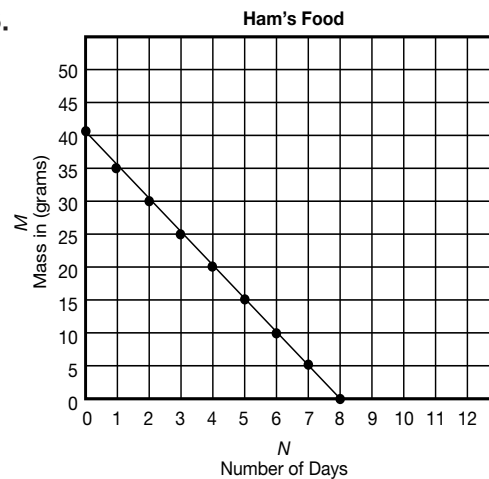
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9. A.

N Number of Days	M Mass (grams)	Ordered Pairs (N, M)
0	40	(0, 40)
1	35	(1, 35)
2	30	(2, 30)
3	25	(3, 25)
4	20	(4, 20)
5	15	(5, 15)
6	10	(6, 10)
7	5	(7, 5)
8	0	(8, 0)

B.



10. A. 5 grams

B. Possible responses:

In symbols:  $M = 40 - N \times 5$

In words: To find the mass of the food, multiply the number of days by five. Then subtract that number from 40 grams.

C. Possible responses: 40 grams of food is enough. Using the table, I see that the food will not be gone until Day 8.

Or, using my rule when  $N = 7$ :

$M = 40 - 7 \times 5$ , so on Day 7,

$M = 5$  grams.